





#### Hot gas in accreting dark matter halos: A simple 1D model

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What is interesting about gas in accreting dark matter halos evolving over redshifts?

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New observations of galaxy clusters are giving high redshift information!

#### The Remarkable Similarity of Massive Galaxy Clusters from $z \sim 0$ to $z \sim 1.9$

M. McDonald<sup>1</sup>, S. W. Allen<sup>2,3,4</sup>, M. Bayliss<sup>1</sup>, B. A. Benson<sup>5,6,7</sup>, L. E. Bleem<sup>6,7,8</sup>, M. Brodwin<sup>9</sup>, E. Bulbul<sup>1</sup>, J. E. Carlstrom<sup>6,7,8,10</sup>, W. R. Forman<sup>11</sup>, J. Hlavacek-Larrondo<sup>12</sup> Show full author list Published 2017 June 28 • © 2017. The American Astronomical Society. All rights reserved. The Astrophysical Journal, Volume 843, Number 1

#### Why do we look for 1D model of gas in accreting dark matter halos evolving over redshifts?



## Why do we look for 1D model of gas in accreting dark matter halos evolving over redshifts?



What is the effect of a temperature gradient in ICM which evolves with redshift?

#### To start with: how to model the MAH of the DM halos that determine the gravitational potential for gas(Van den Bosch, 2002)

They discuss an algorithm to follow the main trunk of the merger tree!

Or trace the most massive progenitor(MMP) as M(z)





The information of the average history of merger and accretion encapsulated in g(r,t)-to be included in the momentum equation in hydrodynamics; assumption is dark matter comes to equilibrium faster than gas

### Initial Conditions: the gas in the halo is in hydrostatic balance following the gravitational potential due to DM

$$\frac{dp(r,t_0)}{dr} = -\rho(r,t_0)g(r,t_0)$$

$$p = K \rho^{\gamma}$$

$$T = \frac{p\mu m_p}{\rho k_B}$$

The density at some given radius is a free parameter along with K(entropy parameter)

#### A typical initial condition at z=6



### Lagrangian shell hydrodynamics (algorithm taken from Thoul&Weinberg, 1995)

$$dm = 4\pi r^{2}\rho dr$$

$$p = (\gamma - 1)\rho u$$

$$\frac{dv}{dt} = -4\pi r^{2} \frac{dp}{dm} - g_{NFW}(r, t)$$

$$\Lambda_{c} = n^{2} \Lambda(T)$$

$$\frac{du}{dt} = \frac{p}{\rho^{2}} \frac{d\rho}{dt} + \frac{\Gamma - \Lambda_{c}}{\rho}$$

#### First trial run with no cooling and heating



### First trial run with no cooling and heating: density evolution

 $M_{\rm halo} = 5 \times 10^{13} M_{\odot}$ 



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## First trial run with no cooling and heating: density evolution





### First trial run with no cooling and heating: temperature evolution



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#### The inner boundary and specific angular momentum

Inner boundary condition for the first trajectory v=0, r=1 kpc



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Inner boundary condition for the first trajectory v=0, r=1 kpc



# Including radiative cooling: tested with zero metallicity cooling curve

Sub-cycling at each hydrodynamic step

$$\frac{du}{dt} = \frac{\Gamma - \Lambda_c}{\rho}$$

 $(5) \\ (10^{-21} \\ 10^{-22} \\ (10^{-23} \\ 10^{-23} \\ (10^{-24} \\ 10^{-4} \\ 10^{-4} \\ 10^{-5} \\ 10^{-5} \\ 10^{-6} \\ 10^{-7} \\ 10^{-7} \\ 10^{-8} \\ 10^{-8} \\ 10^{-9} \\ 10^{-9} \\ 10^{-10} \\ (10^{-10} \\ 10^{-10} \\ (10^{-10} \\ 10^{-10} \\ ($ 

This is solved in cooling time-steps within each hydrodynamic time-step





## Runs with cooling: a general initial condition for different halo evolution $_{T}$

halo evolutionFiducial case: $M_{halo0} = 5 \times 10^{13} M_{\odot}$  $K_{ini} = \frac{T_{keV}}{n^{\gamma-1}} = 2 \ keVcm^2$  $\rho_{2r_{vir}} = 10 \rho_{crit}(t_0)$ Other cases: $K_{ini}(M_{halo}) = K_{ini}(M_{halo}/M_{13})^{2/3}$ 



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#### Mass vs time: evolution for varying halo masses



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#### Idealized heating: Bondi-Hoyle-Lyttleton accretion

$$\dot{M}_{BHL} = \frac{4\pi\alpha G^2 M_{BH}^2}{\left(\bar{c}_s^2 + \bar{\upsilon}^2\right)^{\frac{3}{2}}} \checkmark \dot{M}_{Edd} = \frac{4\pi G M_{BH} m_p}{\epsilon_r \sigma_T c}$$
$$\dot{E}_{feed} = \epsilon_f min(M_{BHL}, M_{Edd})c^2 \qquad \epsilon_r = 0.1$$
$$\epsilon_f = 0.005$$



#### **Trajectory evolution with heating**





#### Comparison of total mass accumulated and cold gas mass with and without heating



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$$\rho_{outer} = \rho_m (b_e (r/5R_{200m})^{-s_e} + 1)$$

A fitting formula which along with a modified Einasto profile for the inner part of the cluster, makes the density profiles remarkably self-similar. We use the fit to the outer density profile only.



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Change in initial condition: Upto virial radius, hydrostatic profile, Beyond virial radius DK density profile multiplied by universal baryon fraction Change in boundary condition: density in the outer boundary changes with time.



How the trajectories evolve without cooling? Only the outer shell seems to be denser than that without DK boundary.



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**Trajectories with cooling** 



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$$M_{\rm halo} = 5 \times 10^{13} M_{\odot}$$



#### On a final note

More experimentation with other heating mechanisms and some of the parameters could be done, like the radius within which feedback energy is driven in. Some mechanical energy could be injected as well in the form of feedback.

A transition from zero metallicity cooling to the cooling in the presence of metals could be added. That may not make a major difference in the low redshifts.

Some precise comparisons with observed data of the 1D profiles for cluster variables like density and temperature, are on the way.

Instead of incorporating an average history of DM halos, N-body simulations could provide the exact history for different halos. In such a situation it could be interesting to check if there is a difference in the total gas accreted or cold gas formed or find the CC and NCC dichotomy.